

Hjemmeopgave 1, 2000F, opgave 1.8

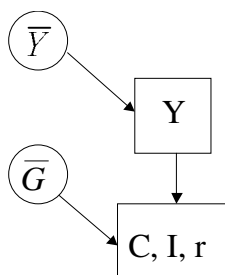
Ville man få samme resultat i spm. 1.7, hvis privatforbruget også afhang af realrenten? Begrund.

Intuitively, the answer must be no. In 1.7, we found that investments must fall one-for-one with the increase in government consumption (full crowding-out). We have the equation $I(r) = Y - C - G$ (financial market equilibrium / investment = saving, which can be seen directly from equations 1a and 1c). We know from our causality analysis that G does not affect Y and C , so the only way that equilibrium can be restored after an increase in G is through a decrease in I (which happens through an increase in the interest rate, r). Now, however, we have a situation where C is also affected by a change in interest rates, so it is natural to assume that some of the crowding-out must also occur through a fall in C .

We can calculate the exact effect if we assume a new equation to replace 1b, which takes account of consumption being affected by the real interest rate. For example:

$$C = a + bY - hr, \quad h > 0$$

If we do a causality analysis on the new model (as an exercise, try doing this yourself), we get the following arrow-diagram:



We can now see clearly that a change in G affects C , r and I , which also affect each other.

If we want to find the exact effect on I , then we have to solve the model by substitution. We need to find an expression for I in terms of the exogenous variables and parameters, and then differentiate with respect to G . A process of inserting the four equations into each other and isolating I results in the following:

$$I = \frac{f}{f+h} \left(\bar{Y} - a - b\bar{Y} - \bar{G} + \frac{he}{f} \right)$$

Again, as an exercise you might want to try reaching this expression yourself. The effect of a change in G is therefore:

$$\frac{\partial I}{\partial \bar{G}} = -\frac{f}{f+h} > -1$$

So, there is less than full crowding-out of investments. It should be noted, however, that there is still full crowding-out of consumption and investments taken together (i.e. $C + I$).